



# COMSOL 2014



## Full System Modeling and Validation of the Carbon Dioxide Removal Assembly

COMSOL  
CONFERENCE  
2014 BOSTON

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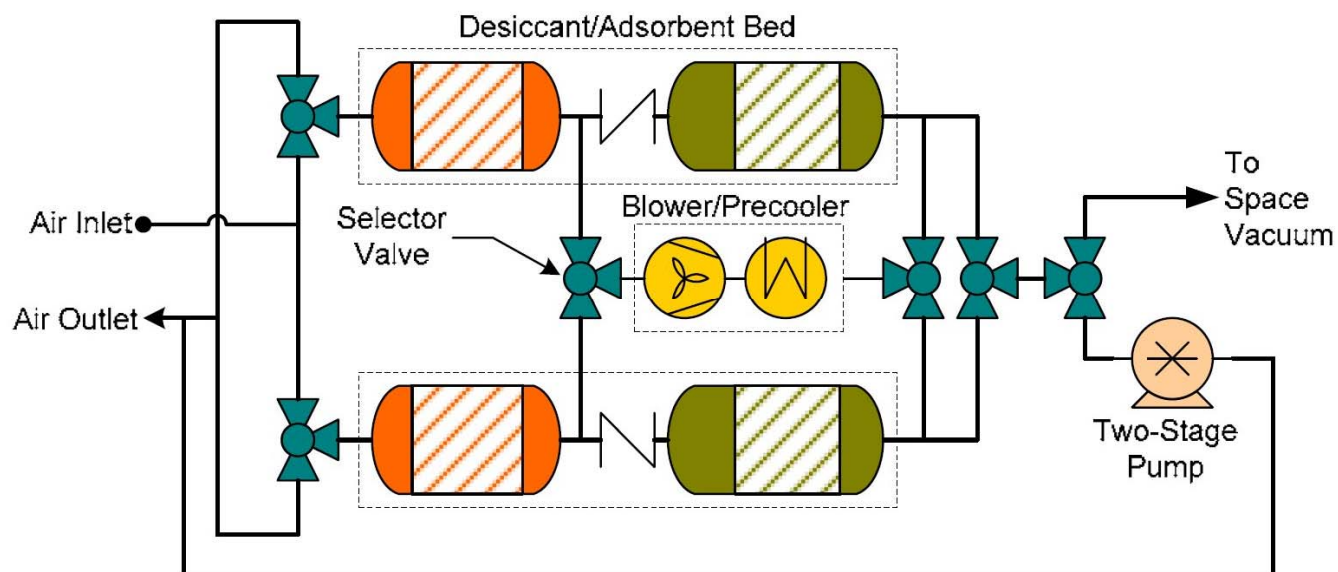
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# Introduction

- Advanced Exploration Systems (AES) Program:
  - pioneering approaches for rapidly developing prototype systems
  - validating concepts for human missions beyond Earth orbit
- Atmosphere Resource Recovery and Environmental Monitoring Project (ARREM):
  - mature environmental subsystems
  - **derived directly from the ISS subsystem architecture**
  - reduce developmental and mission risk
  - demonstrate concepts for human missions beyond Earth orbit

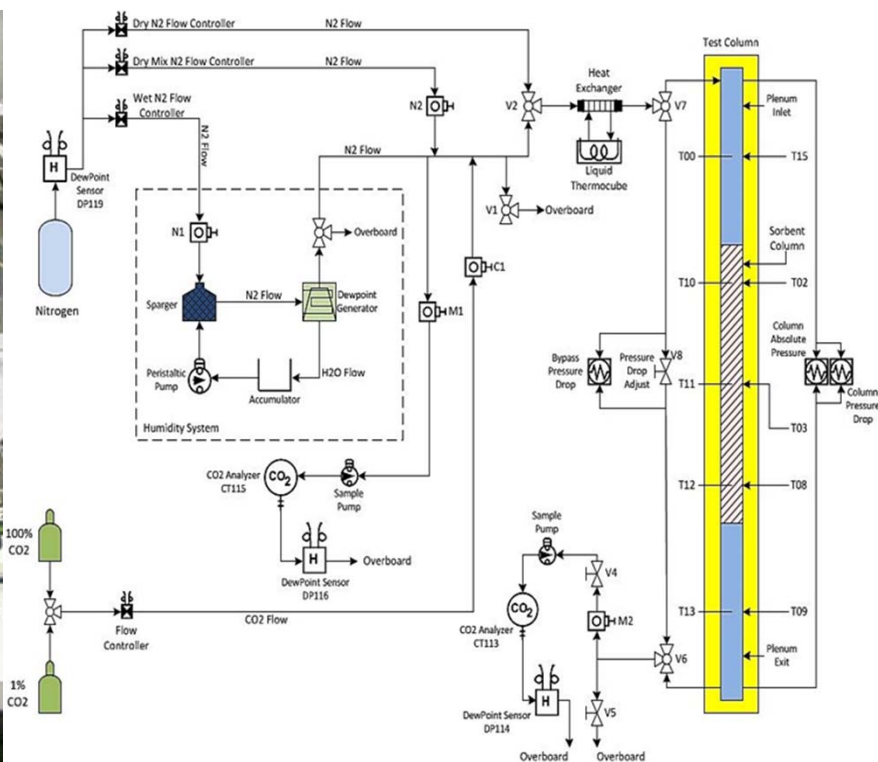
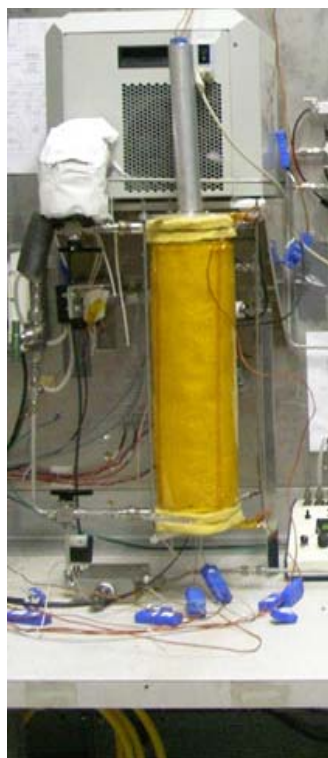
- Goal: *Predictive* model of the Carbon Dioxide Removal Assembly (CDRA)
- Here, focus on the Desiccant Beds (1D)
- Need to know sorbent behavior (isotherms, LDF, etc.)





# Cylindrical Breakthrough Test (CBT)

- Multiple sorbents: RK38, 13X G544, 5A G522, SG G40, SG B152
  - Multiple sorbates:  $\text{CO}_2$ ,  $\text{H}_2\text{O}$
  - Variable flow rates, concentrations, and temperatures
- 
- Well diagnosed (TCs, FCs, DPs, PTs, masses)
  - Insulated
  - Surrogate for CDRA DBs





# Model Approach



- Use Toth isotherms from other work
- Use dimensionless correlations ( $Re$ ,  $Nu$ ,  $Pe$ ,  $Pr$ ,  $Sc$ )
  - Derives mass dispersion and thermal transfer coefficients
- Assume binary mass diffusion is valid
- Assume constant porosity
- Use Rumpf-Gupte permeability relationship
- 1D 'plug flow' style model with wall corrections
- Fit the single remaining model parameter using CBT data
  - Across-the-board validity of the 1D LDF model?



# COMSOL Model



Use COMSOL Multiphysics to solve 7 PDEs:

- 1<sup>st</sup> order Ergun equation for interstitial velocity
  - Gas pressure assuming ideal gas law
  - Sorbate concentration via diffusion & advection
  - Pellet loading via LDF & Toth
  - Sorbent temperature with sorption physics
  - Gas temperature (not in equlbrm with sorbent)
  - Wall housing temperature
- 
- BCs tricky in COMSOL (applied only to flux terms)
  - Time-dependent inlet conditions (flow rate,  $T_{\text{gas}}$ , concentration)
  - Temperature-dependent material properties
  - Adsorption and Desorption half-cycles with changing BCs



# 1-D Model PDEs

$$\rho_g \frac{\partial u}{\partial t} - \frac{\partial}{\partial x} \left( \frac{\mu_g}{\epsilon} \frac{\partial(\epsilon u)}{\partial x} \right) = - \left( \frac{\partial P}{\partial x} + u \left( \frac{\epsilon \mu_g}{\kappa} + \epsilon^2 |u| \rho_g A + \frac{\partial q}{\partial t} \frac{(1-\epsilon)}{\epsilon} M_a + \rho_g \frac{\partial u}{\partial x} \right) \right)$$

$$\frac{\epsilon}{R_s T_g} \frac{\partial P}{\partial t} + \frac{\partial}{\partial x} \left( \frac{\epsilon u P}{R_s T_g} \right) + P \frac{\partial \left( \frac{\epsilon}{R_s T_g} \right)}{\partial t} = - \frac{\partial q}{\partial t} (1-\epsilon) M_a$$

$$0 = \epsilon \frac{\partial c}{\partial t} + (1-\epsilon) \frac{\partial q}{\partial t} + \frac{\partial}{\partial x} \left( -D_x \frac{\partial c}{\partial x} - D_x \frac{c}{M_{mix}} \frac{\partial M_{mix}}{\partial x} + D_x \frac{c}{\rho_g} \frac{\partial \rho_g}{\partial x} + u \epsilon c \right)$$

$$\frac{\partial q}{\partial t} = (q_* - q) k_m \quad \leftarrow \text{LDF parameter}$$

$$(1-\epsilon) \rho_s c_{ps} \frac{\partial T_s}{\partial t} + \frac{\partial}{\partial x} \left( -k_s (1-\epsilon) \frac{\partial T_s}{\partial x} \right) = A h_{sg} (T_g - T_s) - \partial H (1-\epsilon) \frac{\partial q}{\partial t}$$

$$\epsilon \rho_g c_{pg} \frac{\partial T_g}{\partial t} + \frac{\partial}{\partial x} \left( -k_{gx} \epsilon \frac{\partial T_g}{\partial x} \right) = A h_{sg} (T_s - T_g) - \epsilon \rho_g c_{pg} u \frac{\partial T_g}{\partial x} + \frac{P_I h_{gc} (T_c - T_g)}{A_f}$$

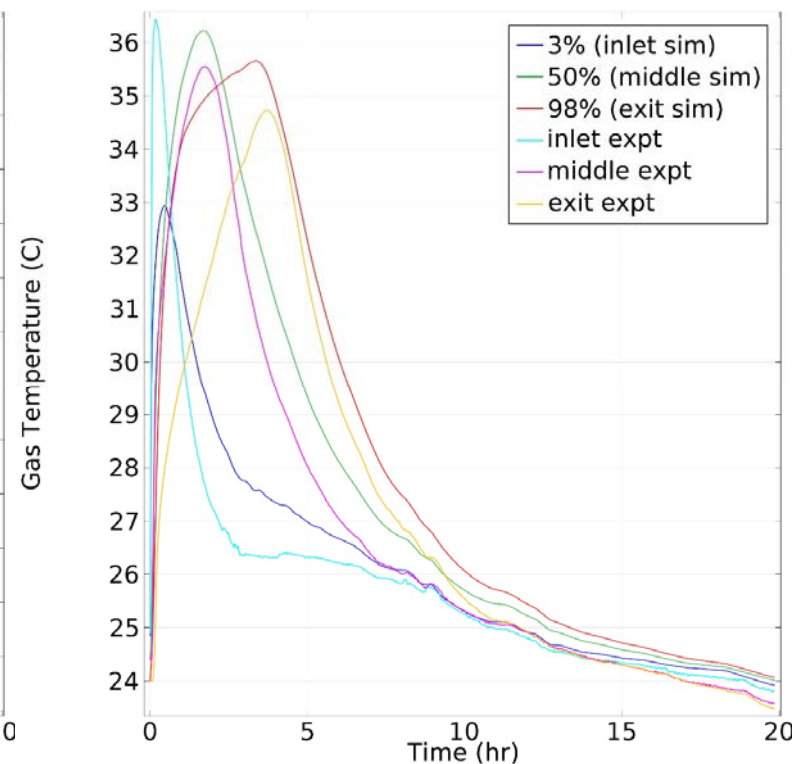
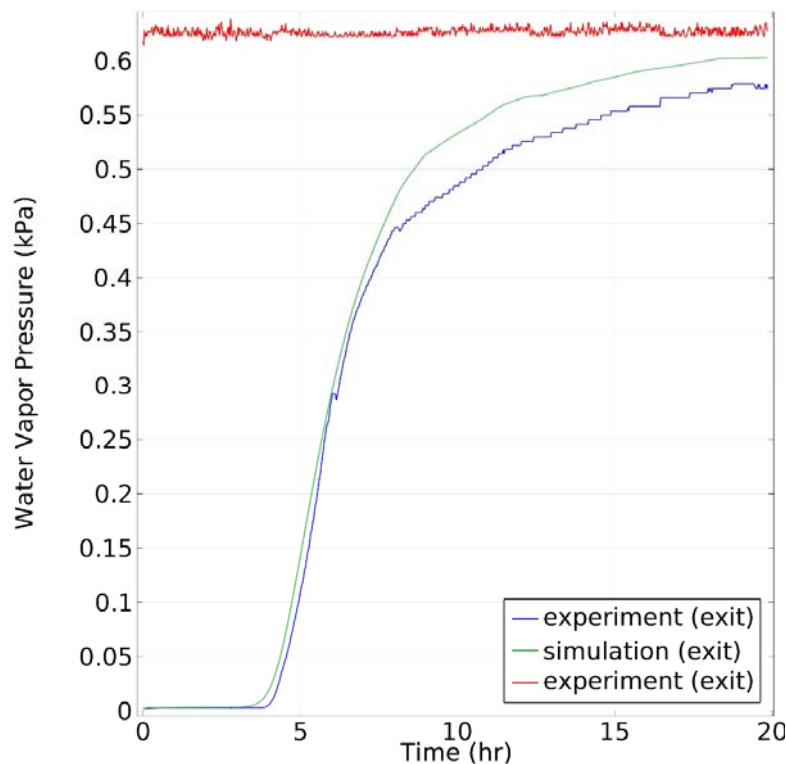
$$\rho_c c_{pc} \frac{\partial T_c}{\partial t} + \frac{\partial}{\partial x} \left( -k_c \frac{\partial T_c}{\partial x} \right) = \frac{P_I h_{gc} (T_g - T_c)}{A_c} + \frac{P_O h_{Ac} (T_A - T_c)}{A_c}$$



# Example H<sub>2</sub>O SG CBT Results



- Water vapor on Silica Gel Grade 40
- Flow is at 8 SLPM with an inlet dew point of 0.5°C
- Residuals dominated by *experimental* error in dew point sensors
- Model good enough to point out SLPM error
- Variability of testing conditions an issue
- Model has early temperature adsorption hump not seen in data
- Not evident with higher flow rates or inlet dew points



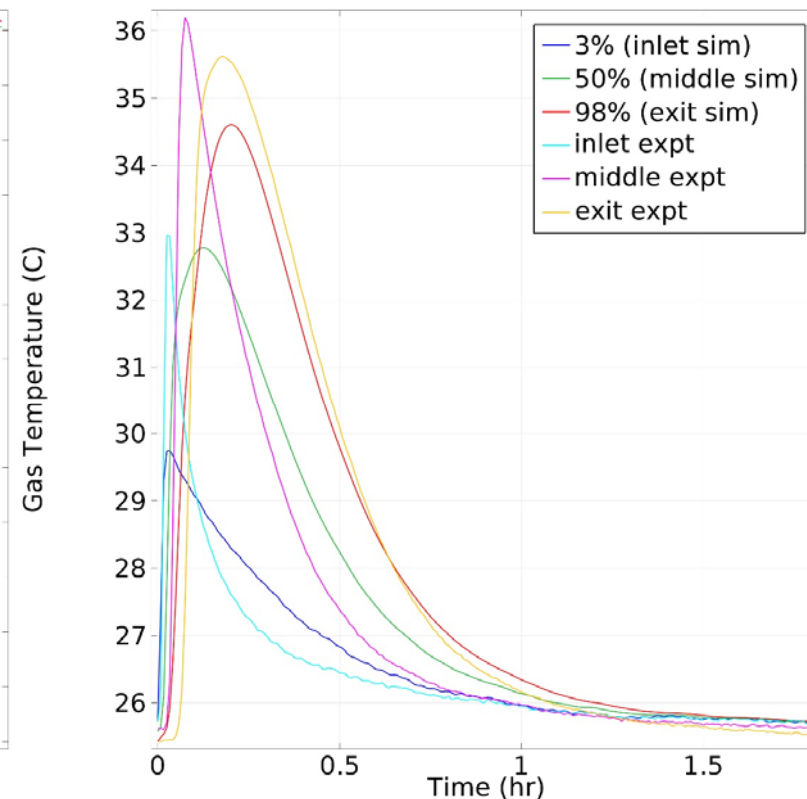
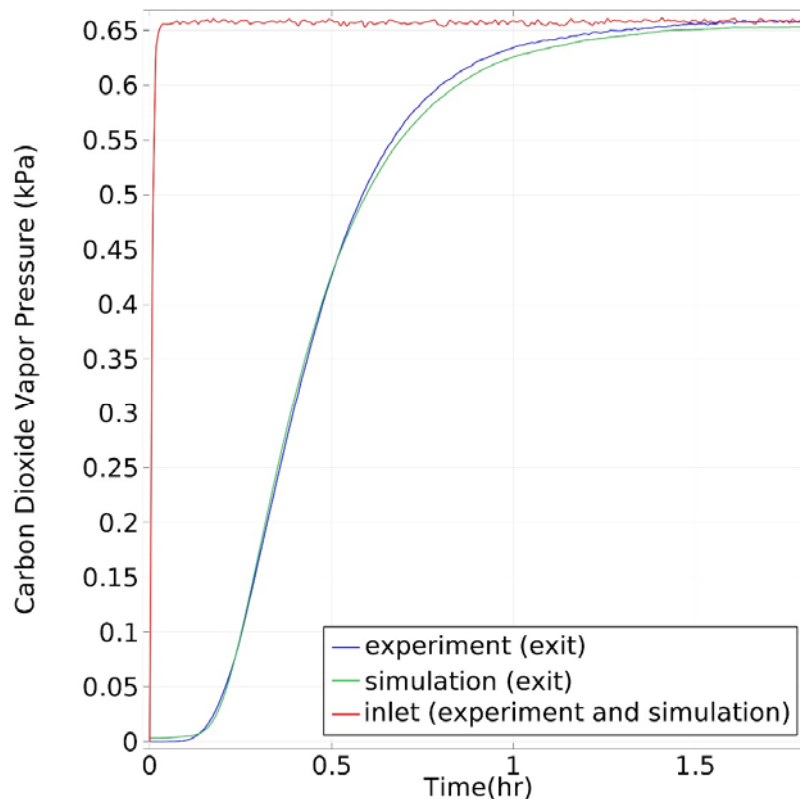




# Example CO<sub>2</sub> 5A CBT Results



- Carbon Dioxide on 5A zeolite RK38
- Flow is at 16 SLPM with an inlet partial vapor pressure of 5 Torr
- Consistently missing inlet sharp peak
- Temperature falloff and asymptotic behavior incorrect in models
- Excellent match to breakthrough curve







# Summary



- Have constructed a *predictive* desiccant bed model
  - Applied to CBT
    - Various sorbates, sorbents, flow rates, concentrations
- Next: Generalize PDEs to 2D and 3D (!)
- Or: Use COMSOL modules
  - Velocity and pressure modules appropriate?
  - Have verified thermal modules give PDE results, but:
    - Assumption of  $T_g \sim T_s$  not always valid
- Then: Apply same model methodology to CDRA Sorbent Beds
  - Complex 3D geometry
  - Including heaters
  - Uses vacuum desorption
  - Have to model  $H_2O/CO_2$  sorption competition

→ Full System Predictive CDRA Model!